

Prestressed Concrete

Notes by-

Pravin S Kolhe,

BE(Civil), Gold Medal, MTech (IIT-K)

Assistant Executive Engineer,

Water Resources Department,

www.pravinkolhe.com

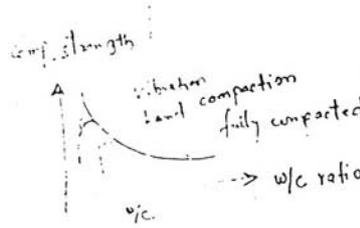
① Strength of concrete

- comp
- test
- comp
- 1.1.1.1.1.
- impact

- ② modulus of Elasticity
- ③ creep of concrete
- ④ shrinkage of concrete
- ⑤ Electrical properties of concrete

Factors Affecting strength:

① w/c ratio



w/c ratio
low cement content
unhydrated

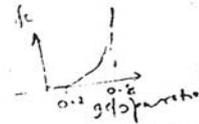
$$S = \frac{k_1}{k_2} \left(\frac{w}{c} \right)^{-n}$$

where S = comp st after 28 days
k₁ & k₂ are empirical constants.

In hardened concrete if voids are present:

This rule doesn't include many qualifications necessary for its validity.

② gel/space ratio



③ Possibility strength is controlled by volume of voids.

- ④ properties of coarse aggregate -
 - smooth gravel - early curing
 - angular gravel - late curing

⑤ aggregate/cement ratio - richness of mix.
1:3 to 1:10
rich mix
lean mix

⑥ Age of concrete

Test on hardened concrete :-

09.12.2004

Mpse - Engg Services
Examination.

Introduction :-

The formwork is a temporary ancillary construction used as a mould for the structure in which concrete is placed, hardens and matures.

Permissible stress in timber

Property -	fir -	Type of timber.		
		Deodar	Rail	Chir
Density $\frac{N}{m^3}$	4500	5450	5150	5750
E $\frac{N}{mm^2}$	9400	9500	6800	9800
Permissible stress in bending of tension $\frac{N}{mm^2}$				
Inside	7.8	10.2	6.6	8.4
outside	6.6	8.8	5.6	7.0
wet	5.6	7.0	5.0	6.0
Permissible stress in shear.				
Horizontal $\frac{N}{mm^2}$	0.6	0.7	0.6	0.4
Along grain $\frac{N}{mm^2}$	0.8	1.0	0.8	0.9
Permissible comp. stress (parallel)				
inside $\frac{N}{mm^2}$	6	7.8	5.2	6.4
outside $\frac{N}{mm^2}$	5.2	7.0	4.6	5.6
wet $\frac{N}{mm^2}$	4.2	5.6	3.8	4.5

प्रमाणित

पू.स.पू.

सिद्धि, परि-सद्य
प्रमाणित

Permissible comp. stress (perpendicular)
N/mm²

Inside
outside
wall

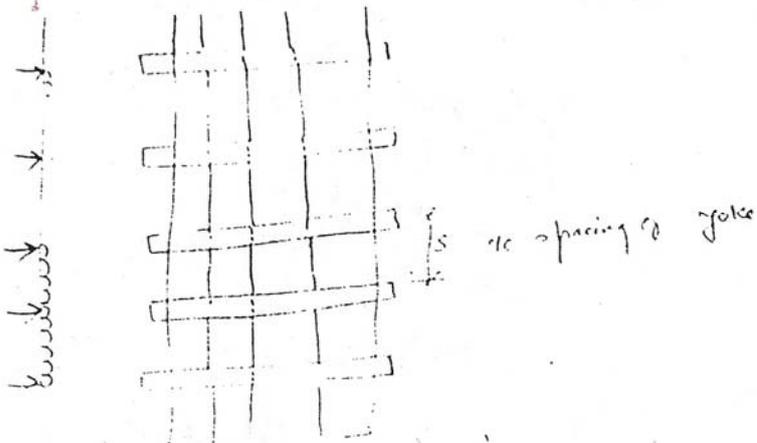
_____	1.6	2.0	1.7	2.2
_____	1.2	2.1	1.3	1.7
_____	1.0	1.7	1.0	1.4

(Prop Design)

$$\text{Safe stress} = \frac{f}{\gamma} \left(1 - \frac{h}{50d} \right) \text{ least dimension}$$

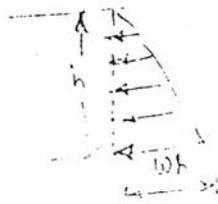
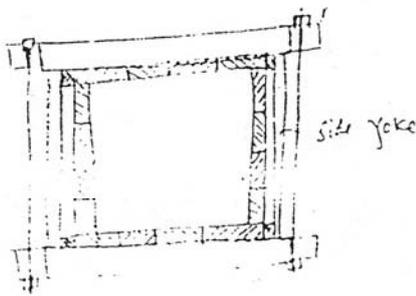
safe comp stress as short strut

Spacing of Jokes



11/2 hrs duration
 h: depth concrete poured within 1/4 to 1 1/2 hrs.

total load on each yoke uniformly distributed over the length, 'b'



l = span of side yoke

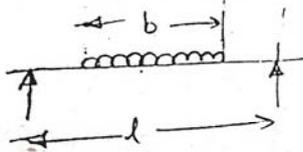
w = equivalent fluid weight of concrete

total load on each yoke = wl/m^2

b = width of column

1/3 of column

Bending Moment in sheathing, B.M. $\frac{ws^2}{10} = \frac{wh \times b \times s^2}{10}$ — continuous member



if f is the permissible stress in sheathing, d_s is the thickness of sheathing,

$$f \times \frac{bd^2}{6} = wh \times b \times \frac{s^2}{10}$$

from this equation

spacing of side yoke is decided.

This spacing should be checked for shear & deflection in the sheathing.

Eq. ①

= equivalent fluid weight of concrete for ht upto 1.5m $\rightarrow 23000 N/m^3$ of concrete

when ht of concrete in one pour is ~~max~~ 6m,

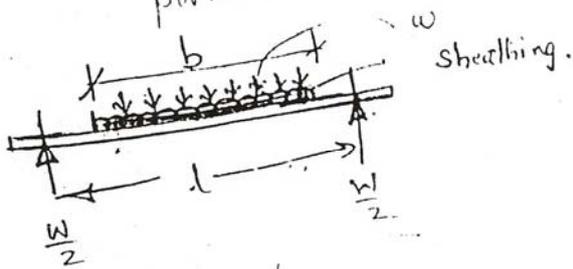
the equivalent fluid wt may be 12,000 N/m^3 — for intermediate

ht. of pour, by interpolation it may be calculated.

The maximum deflection of sheathing & jokers etc should

The above equation is based on permissible stress in sheathing.

Let us also find the value of 's' based on permissible stress in yoke.



Total load over the yoke is
 $W = wh \times b \times s$
 over the length 'b'.

Maxi B.M

$$= \frac{W}{2} \times \frac{l}{2} - \frac{W}{2} \times \frac{b}{2}$$

$$= \frac{W}{4} (l - b/2)$$

B.M in yoke = $\frac{W}{4} (l - b/2)$

If 'f' is the permissible bending stress in yoke

$$f \times Z = \frac{W}{4} (l - b/2) \quad \text{--- (1)}$$

$$f \times Z = \frac{whb \cdot s}{4} (l - b/2) \quad \text{--- (2)}$$

Hence the value of spacing 's' given by (1)/(2) eq is adopted.

Example: (1)

Design the formwork for a column

400 x 400 mm having a height of 3.5 m.

It is proposed to pour the entire concrete in one stage.

(a) The unit fluid weight

$$is = 23000 - \left(\frac{23000 - 12000}{6 - 1.5} \right) \times (3.5 - 1.5)$$

$$w = 18113 \text{ N/m}^3$$

(b) Bending stress in sheathing:

Let the spacing of yokes is 's' mm dc

also distance between the bolt centers 'l' = ~~6.50~~ 6.50 m

using $d = 25$ mm thick sheathing, we have, [Eq ①]

$h = 3.5$ m

$b = 400$ mm

$s = ?$

$$f \times \frac{bd^2}{6} = w \cdot b \cdot \frac{s^2}{1000}$$

$$8.4 \times \frac{400 \times 25^2}{6} = 18111 \times 10 \times \frac{400 \times s^2}{1000}$$

~~S =~~

$$8.4 \times 400 \times \frac{(25)^2}{6} = \frac{18111 \times 3.5^3 \times 400}{10^6 \times \frac{s^2}{10}}$$

$S = 371.53$ mm,

Say, keep the spacing @ 370 mm c/c.

is the
of sheen

Deodar	Chir
10.2	8.4 N/mm ² (inside)
8.8	7.0 N/mm ² (outside)
7.0	6.0 N/mm ² (wet)
1.0	0.9 N/mm ² shear stress

9500 - 9800 N/mm²
Elasticity

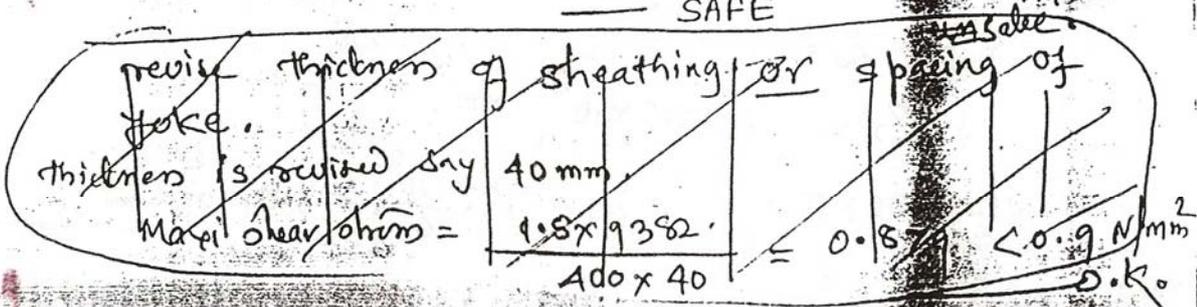
check for shear & deflection in sheathing:

Permissible shear stress = 0.9 N/mm²

Shear force = $V = \frac{w \cdot b \cdot s}{2} \times \frac{370}{1000}$
 $= 18111 \times 3.5 \times 0.4 \times \frac{370}{1000}$
 $= 9382$ N. = 4691 N.

Maxi^m shear stress = $1.5 \times \frac{V}{bd} = 1.5 \times \frac{4691}{400 \times 25}$
 $= 0.7$ N/mm² < 0.9 N/mm²

SAFE



$$\delta = \frac{3}{384} \frac{(whb) s^4}{EI}$$

$$EI = 9800 \times \frac{400 \times 25^3}{12} = \frac{0.51 \times 10^{10}}{9800} \times 10$$

$$whb = \frac{18111 \times 3.5 \times 0.4 \times 1}{1000} = 25.35 \text{ N/mm}$$

Substituting these values;

$$\delta = \frac{3}{384} \times \frac{25.35 \times (370)^4}{0.51 \times 10^{10}}$$

$$= \frac{0.728 \text{ mm}}{2.5 \text{ mm}} \quad \text{--- o.k.}$$

Design of Yokes:-

Total load on yoke

$$W = whb \cdot s$$

$$= 18111 \times 3.5 \times 0.4 \times 0.37$$

$$= 9382 \text{ N.}$$

$$l = \text{span of yoke in mm} = 650 \text{ mm.}$$

$$B.M = \frac{W}{4} (l - b/2)$$

$$= \frac{9382}{4} (650 - 400/2) = 1055475 \text{ Nmm.}$$

Permissible bending stress in yoke = 8.4 N/mm² (chiv)

$$8.4 \times Z = 1055475$$

$$Z = 1.256 \times 10^5 \text{ mm}^3$$

use 90 x 100, $Z = \frac{90 \times 100^2}{6} = 1.5 \times 10^5 \text{ mm}^3$ --- o.k.

$$\delta = \frac{5}{384} \times \frac{W L^3}{EI}$$

$$= \frac{5}{384} \times \frac{9382 \times (650)^3 \times 12}{9800 \times 90 \times (100)^3}$$

$$= 0.456 \text{ mm} < 2.5 \text{ mm} \text{ --- o.k.}$$

Design of bolts : Bolts are subjected to both direct pull as well as bending since the loads being transferred through wedges.

$$W = 9382$$

$$\text{load in each bolt} = \frac{9382}{2} = 4691 \text{ N.}$$

Assuming that the distance of load transmitted through wedges is 40mm.

$$\text{B.M. in bolt} = 4691 \times 40 = 187640 \text{ N.mm}$$

Using 30 mm ϕ .

$$\text{Tensile stress} = \frac{4691}{\frac{\pi}{4} (30)^2} = 6.64 \text{ N/mm}^2$$

$$\text{bending stress} = \frac{187640 \times \frac{30}{2}}{\frac{\pi}{64} (30)^4} = 70.78$$

$$\text{total stress} = 70.78 + 6.64 = 77.42 \text{ N/mm}^2 < 165$$

M.S.
o.k.